

Types of Fractions

Unit: Fractions and Decimals - Student Practice Worksheet

Overview: Kabir cut a pizza into 4 slices and ate 3, calling it $\frac{3}{4}$. Anaya cut a bigger pizza into 4 slices and ate all 5 she'd cooked separately, calling it $\frac{5}{4}$. Ms. Rao pointed out that $\frac{3}{4}$ and $\frac{5}{4}$ aren't the same kind of fraction at all. One stays neatly under a whole; the other spills over into more than one whole entirely.

Practice Questions (30 Total)

Section A - Easy

Q1. Three of four bars are teal. Is $\frac{3}{4}$ proper or improper?



- ☐ A. Improper
- ☐ B. Proper
- ☐ C. Neither
- ☐ D. A mixed number

Q2. What is a proper fraction?

- ☐ A. Numerator smaller than denominator
- ☐ B. Numerator bigger than denominator
- ☐ C. Numerator equal to 1
- ☐ D. A whole number

Q3. Is $\frac{5}{4}$ proper or improper?

- ☐ A. Proper
- ☐ B. Neither
- ☐ C. Improper
- ☐ D. Undefined

Q4. One maroon slice of seven. Which is the unit fraction?



one maroon slice of 7

- ☐ A. $\frac{1}{7}$
- ☐ B. $\frac{2}{7}$
- ☐ C. $\frac{7}{7}$
- ☐ D. $\frac{7}{2}$

Q5. What is a unit fraction?

- ☐ A. Denominator equals 1
- ☐ B. Numerator equals denominator
- ☐ C. A negative fraction
- ☐ D. Numerator equals 1

Q6. Convert $\frac{5}{4}$ to a mixed number.

- ☐ A. $4\frac{1}{4}$
- ☐ B. $2\frac{1}{4}$
- ☐ C. $1\frac{1}{4}$
- ☐ D. $1\frac{1}{2}$

Q7. The full teal bar is $\frac{4}{4}$. What does that equal?



full bar

- ☐ A. 4 wholes
- ☐ B. 0
- ☐ C. $\frac{1}{4}$
- ☐ D. 1 whole

Q8. What is a mixed number?

- ☐ A. Two fractions added together
- ☐ B. A whole number plus a proper fraction
- ☐ C. A fraction with denominator 1
- ☐ D. A fraction bigger than 100

Q9. Is $\frac{9}{2}$ proper or improper?

- ☐ A. Improper
- ☐ B. Proper
- ☐ C. Neither
- ☐ D. A unit fraction

Q10. Which is proper, and why does comparing top and bottom decide it?

- ☐ A. $\frac{9}{5}$
- ☐ B. $\frac{5}{9}$
- ☐ C. $\frac{9}{9}$
- ☐ D. $\frac{10}{9}$

Section B - Medium

Q11. Two full bars plus a maroon $\frac{3}{4}$ piece: that is $1\frac{1}{4}$. Mixed number?



- ☐ A. $2\frac{3}{4}$
- ☐ B. $3\frac{1}{4}$
- ☐ C. $2\frac{1}{2}$
- ☐ D. $4\frac{1}{4}$

Q12. Kabir says all unit fractions are also proper fractions (except $\frac{1}{1}$). Is he right?

- ☐ A. No, unit fractions are always improper
- ☐ B. Only true for even denominators
- ☐ C. Unit fractions can never be proper
- ☐ D. Yes, since numerator 1 is smaller than any denominator bigger than 1

Q13. Convert the mixed number $3\frac{2}{5}$ into an improper fraction.

- ☐ A. $\frac{15}{5}$
- ☐ B. $\frac{17}{5}$
- ☐ C. $\frac{8}{5}$
- ☐ D. $\frac{13}{5}$

Q14. Two equal teal wholes. Which fraction is exactly 2?



$\frac{6}{3}$ as two wholes

- ☐ A. $\frac{5}{3}$
- ☐ B. $\frac{3}{6}$
- ☐ C. $\frac{6}{3}$
- ☐ D. $\frac{2}{3}$

Q15. Which of these fractions is NOT improper?

- ☐ A. $\frac{8}{5}$
- ☐ B. $\frac{5}{8}$
- ☐ C. $\frac{8}{8}$
- ☐ D. $\frac{9}{8}$

Q16. Convert $\frac{7}{3}$ into a mixed number.

- ☐ A. 2■
- ☐ B. 1■
- ☐ C. 3■
- ☐ D. 2■

Q17. Twelve slices, one maroon. Which is the unit fraction?



1 maroon of 12

- ☐ A. $\frac{2}{12}$
- ☐ B. $\frac{12}{12}$
- ☐ C. $\frac{12}{1}$
- ☐ D. $\frac{1}{12}$

Q18. Which of these is both improper AND exactly equal to a whole number?

- ☐ A. $\frac{7}{5}$
- ☐ B. $\frac{10}{5}$
- ☐ C. $\frac{4}{5}$

☐ D. $1/5$

Q19. Convert $4\frac{3}{4}$ into an improper fraction.

☐ A. $16/4$

☐ B. $20/4$

☐ C. $19/4$

☐ D. $7/4$

Q20. Nine quarter-pieces of cake: improper form and mixed number, linked.

☐ A. $9/4$, which equals $2\frac{1}{4}$

☐ B. $4/9$, which equals ■

☐ C. $9/4$, which equals $3\frac{3}{4}$

☐ D. $9/1$, which equals 9 wholes

Section C - Challenge

Q21. Three teal unit bars. Why is every whole also a fraction?



☐ A. Any whole number n can be written as $n/1$

☐ B. Whole numbers are never fractions

☐ C. Only even whole numbers can be fractions

☐ D. This is only true for the number 1

Q22. Can a fraction be simultaneously a unit fraction AND an improper fraction?

☐ A. Yes, always, for any denominator

☐ B. Only if the denominator is exactly 1, like $1/1$

☐ C. No, never, under any circumstance

☐ D. Only for even denominators

Q23. Which is bigger: the improper fraction $23/5$, or the mixed number $4\frac{3}{5}$?

☐ A. They are exactly equal

☐ B. $23/5$ is bigger

☐ C. $4\frac{3}{5}$ is bigger

- ☐ D. Cannot be compared

Q24. 13 eighths: 8 teal plus 5 maroon. Improper and mixed form?



8 teal + 5 maroon eighths

- ☐ A. $13/8$, equal to 1 
- ☐ B. $8/13$, equal to 
- ☐ C. $13/8$, equal to 2 
- ☐ D. $13/1$, equal to 13 wholes

Q25. Kabir claims mixed numbers and improper fractions represent completely different values. Is this true?

- ☐ A. Yes, they are always mathematically unequal
- ☐ B. Only true for fractions bigger than 10
- ☐ C. No — they are just two different ways to write the exact same value
- ☐ D. Mixed numbers are always bigger

Q26. Anaya has an improper fraction where the whole-number part comes out to exactly 0. What does this tell you?

- ☐ A. This is completely normal for any improper fraction
- ☐ B. It means the fraction is negative
- ☐ C. This cannot actually happen — improper fractions always have a whole-number part of at least 1
- ☐ D. It means the fraction is a unit fraction

Q27. Maroon $1/n$ sits before 1. Where do unit fractions live, except $1/1$?



- ☐ A. Improper, always, with no exceptions
- ☐ B. Proper, since 1 is smaller; but $1/1$ equals 1 whole
- ☐ C. Mixed number, always
- ☐ D. There is no meaningful category here

Q28. Why must you find how many times the denominator fits into the numerator to convert an improper fraction to a mixed number?

- ☐ A. It has nothing to do with the whole-number part
- ☐ B. The denominator is simply discarded
- ☐ C. Only the numerator matters
- ☐ D. That count IS the whole-number part

Q29. Why is understanding proper vs improper fractions important before learning to add or subtract fractions?

- ☐ A. Addition and subtraction never produce improper results
- ☐ B. It has no real connection to addition or subtraction
- ☐ C. Only proper fractions can ever be added
- ☐ D. Results bigger than a whole need converting back to mixed numbers to read easily

Q30. Why are unit fractions building blocks, as a copies of $\frac{1}{b}$?

- ☐ A. Because all fractions eventually simplify to unit fractions
- ☐ B. Any fraction $\frac{a}{b}$ can be seen as a copies of the unit fraction $\frac{1}{b}$
- ☐ C. Because unit fractions are always the largest possible fractions
- ☐ D. There is no real reason for this name

Answer Key

Q1: (B) (b) Proper. $3 < 4$.

Q2: (A) (a) Numerator smaller than denominator.

Q3: (C) (c) Improper. $5 > 4$.

Q4: (A) (a) $1/7$. Its numerator is 1.

Q5: (D) (d) Numerator equals 1.

Q6: (C) (c) $1\frac{1}{4}$. $5/4 = 4/4 + 1/4 = 1$ whole and $1/4$.

Q7: (D) (d) 1 whole. Numerator equals denominator.

Q8: (B) (b) A whole number plus a proper fraction.

Q9: (A) (a) Improper. $9 > 2$.

Q10: (B) (b) $5/9$. $5 < 9$.

Q11: (A) (a) $2\frac{3}{4}$. $11/4 = 8/4 + 3/4 = 2$ wholes and $3/4$.

Q12: (D) (d) Yes, since numerator 1 is smaller than any denominator bigger than 1, making it proper by definition.

Q13: (B) (b) $17/5$. 3 wholes = $15/5$, plus $2/5 = 17/5$.

Q14: (C) (c) $6/3$. 6 divided by 3 equals 2 exactly.

Q15: (B) (b) $5/8$. Its numerator 5 is smaller than its denominator 8, making it proper.

Q16: (A) (a) $2\frac{1}{3}$. $7/3 = 6/3 + 1/3 = 2$ wholes and $1/3$.

Q17: (D) (d) $1/12$. Numerator is exactly 1.

Q18: (B) (b) $10/5$. It's improper ($10 > 5$) and equals exactly 2, a whole number.

Q19: (C) (c) $19/4$. 4 wholes = $16/4$, plus $3/4 = 19/4$.

Q20: (A) (a) $9/4$, which equals $2\frac{1}{4}$. 9 quarters = $8/4 + 1/4 = 2$ wholes and $1/4$.

Q21: (A) (a) Any whole number n can be written as $n/1$, technically making every whole number a fraction with denominator 1.

Q22: (B) (b) Only if the denominator is exactly 1, like $1/1$ — otherwise a unit fraction (numerator 1) with denominator greater than 1 is always proper, not improper.

Q23: (A) (a) They are exactly equal. $23/5 = 20/5 + 3/5 = 4$ wholes and $3/5 = 4\frac{3}{5}$.

Q24: (A) (a) $13/8$, equal to $1\frac{5}{8}$. 13 eighths = $8/8 + 5/8 = 1$ whole and $5/8$.

Q25: (C) (c) No — they are just two different ways to write the exact same value, like $5/4$ and $1\frac{1}{4}$.

Q26: (C) (c) This cannot actually happen — improper fractions always have a whole-number part of at least 1, by definition (numerator at least equal to denominator).

Q27: (B) (b) Proper, since numerator 1 is always smaller than a bigger denominator; but $1/1$ is the boundary case that equals exactly 1 whole rather than being less than one.

Q28: (D) (d) That count IS the whole-number part, and the leftover (the remainder) becomes the numerator of the fraction part.

Q29: (D) (d) Results bigger than a whole need converting back to mixed numbers to read easily, so recognising an improper result matters for interpreting the final answer.

Q30: (B) (b) Any fraction a/b can be seen as a copies of the unit fraction $1/b$ — for example $3/4$ is three copies of $1/4$.

You've got this! Keep learning and shining! - Ruchi Math Coaching