

Sum of Even Numbers

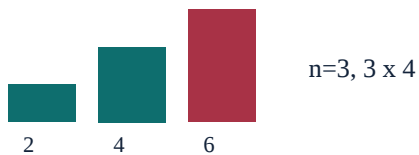
Unit: Number Play - Student Practice Worksheet

Overview: Pixel asked for the sum of the first 6 even numbers: $2+4+6+8+10+12$. Kabir started adding left to right, term after term. Anaya multiplied two numbers together and was done.

Practice Questions (30 Total)

Section A - Easy

Q1. The three bars are 2, 4 and 6. What is their total?



- ☐ A. 12
- ☐ B. 10
- ☐ C. 14
- ☐ D. 8

Q2. What is the formula for the sum of the first n even numbers?

- ☐ A. $n \times n$
- ☐ B. $n / 2$
- ☐ C. $n \times (n+1)$
- ☐ D. $2n + 1$

Q3. What is the sum of the first 4 even numbers, $2+4+6+8$?

- ☐ A. 18
- ☐ B. 20
- ☐ C. 16
- ☐ D. 24

Q4. The five even bars grow by 2 each time. What is $2+4+6+8+10$?

$$2+4+6+8+10$$



- ☐ A. 30
- ☐ B. 25
- ☐ C. 35
- ☐ D. 28

Q5. The sum of the first n even numbers is exactly what, compared to the sum of the first n natural numbers?

- ☐ A. Half of it
- ☐ B. The same
- ☐ C. Triple it
- ☐ D. Double it

Q6. What is the sum of the first 7 even numbers?

- ☐ A. 56
- ☐ B. 49
- ☐ C. 48
- ☐ D. 63

Q7. Three pair-boxes each show 14. What is the sum of the first 6 even numbers?

$$2+12=14$$

$$4+10=14$$

$$6+8=14$$

3 pairs of 14

- ☐ A. 36
- ☐ B. 40
- ☐ C. 48
- ☐ D. 42

Q8. Which of these is the 6th even number in the sequence 2, 4, 6, 8, 10, 12?

- ☐ A. 10

- ☐ B. 12
- ☐ C. 14
- ☐ D. 6

Q9. What is the sum of the first 3 even numbers, $2+4+6$?

- ☐ A. 10
- ☐ B. 9
- ☐ C. 12
- ☐ D. 8

Q10. Add $2+4$, then check $n(n+1)$ with $n=2$. What is the sum of the first 2 even numbers?

- ☐ A. 8
- ☐ B. 6
- ☐ C. 4
- ☐ D. 10

Section B - Medium

Q11. The two boxes are $n=10$ and $n+1=11$. What product is the sum of the first 10 even numbers?

$n=10$	x	$n+1=11$
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- ☐ A. 110
- ☐ B. 100
- ☐ C. 120
- ☐ D. 90

Q12. How does pairing 2 with 12, 4 with 10, and 6 with 8 (for the first 6 even numbers) help find the sum?

- ☐ A. Each pair totals 14; 3 pairs give 42
- ☐ B. It shows the sum must be zero
- ☐ C. It only works if there are exactly 4 terms
- ☐ D. The pairs are all unequal, so no shortcut exists

Q13. What is the sum of the first 20 even numbers?

- ☐ A. 400
- ☐ B. 420
- ☐ C. 440
- ☐ D. 380

Q14. The tilted slab is 25 by 26. What is the sum of the first 25 even numbers?



- ☐ A. 625
- ☐ B. 600
- ☐ C. 675
- ☐ D. 650

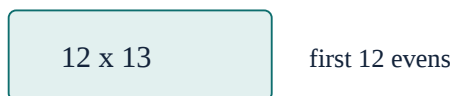
Q15. If the sum of the first n even numbers is 90, what is n ?

- ☐ A. 10
- ☐ B. 8
- ☐ C. 9
- ☐ D. 11

Q16. What is the sum of the first 15 even numbers?

- ☐ A. 225
- ☐ B. 240
- ☐ C. 230
- ☐ D. 250

Q17. The card shows 12×13 . What is the sum of the first 12 even numbers?



- ☐ A. 144

- ☐ B. 168
- ☐ C. 132
- ☐ D. 156

Q18. If the sum of the first n even numbers is 132, what is n ?

- ☐ A. 11
- ☐ B. 12
- ☐ C. 10
- ☐ D. 13

Q19. The 8th even number is 16. What is the sum of the first 8 even numbers?

- ☐ A. 64
- ☐ B. 80
- ☐ C. 72
- ☐ D. 56

Q20. Use $n(n+1)$ with $n=9$, and check by doubling $1+\dots+9$. What is the sum of the first 9 even numbers?

- ☐ A. 81
- ☐ B. 90
- ☐ C. 100
- ☐ D. 72

Section C - Challenge

Q21. The card shows 50×51 . What is the sum of the first 50 even numbers?

50×51

first 50 evens

- ☐ A. 2,550
- ☐ B. 2,500
- ☐ C. 2,600
- ☐ D. 5,050

Q22. Compare the sum of the first n even numbers, $n(n+1)$, with the sum of the first n odd numbers, n squared. Which is bigger for the same n ?

- ☐ **A.** The odd-number sum is always bigger
- ☐ **B.** They are always exactly equal
- ☐ **C.** It depends on whether n is even or odd
- ☐ **D.** The even-number sum is always bigger, by exactly n

Q23. What is the sum of the even numbers from 20 to 30 (that is, 20, 22, 24, 26, 28, 30)?

- ☐ **A.** 140
- ☐ **B.** 150
- ☐ **C.** 160
- ☐ **D.** 130

Q24. The card shows 30×31 . What is the sum of the first 30 even numbers?

30×31

- ☐ **A.** 930
- ☐ **B.** 900
- ☐ **C.** 960
- ☐ **D.** 870

Q25. A student sums the first 10 even numbers but accidentally includes 0 as well ($0+2+4+\dots+20$). How does this change their total?

- ☐ **A.** It doubles the total
- ☐ **B.** It doesn't change the total, since 0 adds nothing
- ☐ **C.** It reduces the total by 10
- ☐ **D.** It makes the total impossible to compute

Q26. What is the last (n th) even number when the sum of the first n even numbers equals 240?

- ☐ **A.** 32
- ☐ **B.** 28
- ☐ **C.** 30

☐ D. 16

Q27. The line runs from even 2 to even 100 (50 terms). What is that sum?



☐ A. 2,500

☐ B. 5,050

☐ C. 2,450

☐ D. 2,550

Q28. Why is $n \times (n+1)$ always an even number itself, for any whole number n ?

☐ A. One of the two consecutive numbers is always even

☐ B. Because n is always even

☐ C. Because $n+1$ is always odd

☐ D. It is not always true

Q29. If the sum of the first n even numbers is 600, what is n ?

☐ A. 25

☐ B. 23

☐ C. 24

☐ D. 30

Q30. Why must $2 \times [n(n+1)/2]$ match the even-sum formula $n(n+1)$?

☐ A. They only agree for even values of n

☐ B. The 2 and the division by 2 cancel out, leaving $n(n+1)$ exactly

☐ C. They never actually agree

☐ D. The 2 multiplies the whole expression again, giving 4 times $n(n+1)$

Answer Key

- Q1:** (A) (a) 12. Using $n(n+1)$ with $n=3$: $3 \times 4 = 12$.
- Q2:** (C) (c) $n \times (n+1)$.
- Q3:** (B) (b) 20. Using $n(n+1)$ with $n=4$: $4 \times 5 = 20$.
- Q4:** (A) (a) 30. Using $n(n+1)$ with $n=5$: $5 \times 6 = 30$.
- Q5:** (D) (d) Double it. Every even number is 2 times a counting number.
- Q6:** (A) (a) 56. Using $n(n+1)$ with $n=7$: $7 \times 8 = 56$.
- Q7:** (D) (d) 42. Using $n(n+1)$ with $n=6$: $6 \times 7 = 42$.
- Q8:** (B) (b) 12. The 6th even number is $2 \times 6 = 12$.
- Q9:** (C) (c) 12. Using $n(n+1)$ with $n=3$: $3 \times 4 = 12$.
- Q10:** (B) (b) 6. Using $n(n+1)$ with $n=2$: $2 \times 3 = 6$.
- Q11:** (A) (a) 110. Using $n(n+1)$ with $n=10$: $10 \times 11 = 110$.
- Q12:** (A) (a) Each pair totals 14, and there are 3 such pairs, giving $3 \times 14 = 42$.
- Q13:** (B) (b) 420. Using $n(n+1)$ with $n=20$: $20 \times 21 = 420$.
- Q14:** (D) (d) 650. Using $n(n+1)$ with $n=25$: $25 \times 26 = 650$.
- Q15:** (C) (c) 9. Check: $9 \times 10 = 90$.
- Q16:** (B) (b) 240. Using $n(n+1)$ with $n=15$: $15 \times 16 = 240$.
- Q17:** (D) (d) 156. Using $n(n+1)$ with $n=12$: $12 \times 13 = 156$.
- Q18:** (A) (a) 11. Check: $11 \times 12 = 132$.
- Q19:** (C) (c) 72. Using $n(n+1)$ with $n=8$: $8 \times 9 = 72$.
- Q20:** (B) (b) 90. Using $n(n+1)$ with $n=9$: $9 \times 10 = 90$.
- Q21:** (A) (a) 2,550. Using $n(n+1)$ with $n=50$: $50 \times 51 = 2,550$.
- Q22:** (D) (d) The even-number sum is always bigger, by exactly n . $n(n+1)$ minus n squared equals n .
- Q23:** (B) (b) 150. Pairing $20+30=50$, $22+28=50$, $24+26=50$, giving 3 pairs of 50, plus none left over (all 6 terms paired): $3 \times 50 = 150$.
- Q24:** (A) (a) 930. Using $n(n+1)$ with $n=30$: $30 \times 31 = 930$.
- Q25:** (B) (b) It doesn't change the total at all, since adding 0 makes no difference. 0 is the identity for addition.
- Q26:** (C) (c) 30. $n=15$ (since $15 \times 16 = 240$), and the 15th even number is $2 \times 15 = 30$.
- Q27:** (D) (d) 2,550. There are 50 even numbers from 2 to 100, so use $n(n+1)$ with $n=50$: $50 \times 51 = 2,550$.
- Q28:** (A) (a) Because n and $n+1$ are consecutive, so one of them is always even, making their product even. This matches the sum of even numbers always being even, as expected.
- Q29:** (C) (c) 24. Check: $24 \times 25 = 600$.

Q30: (B) (b) The 2 and the division by 2 cancel out, leaving $n(n+1)$ exactly. This is why the two derivations of the formula always match.

You've got this! Keep learning and shining! - Ruchi Math Coaching